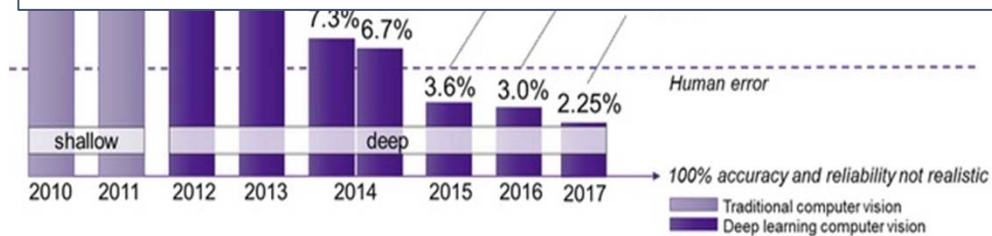


# Identifying Model Weakness with Adversarial Examiner

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Johns Hopkins University

## Motivation

Why is there a mismatch?



<https://news.stanford.edu/2018/05/15/how-ai-is-changing-science/>

## Motivation: Turing test



80% Accuracy -> **99.9% Accuracy**

### Lesson 1:

The test should focus more on *worst case* than average case.



**999/1000**



**1/100**



ROCKSTAR

Lesson 2:  
The test should be *dynamic* instead of *fixed*



999/1000

1/100

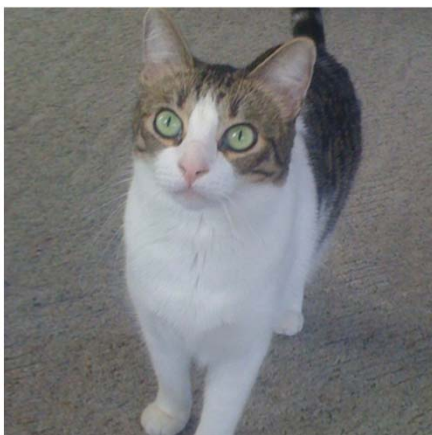
## Solution: Adversarial Examiner (AE)

- Worst case instead of average case
- Dynamic test set based on test history instead of fixed test set



## Solution: Adversarial Examiner (AE) Definitions

Underlying Form  $z$

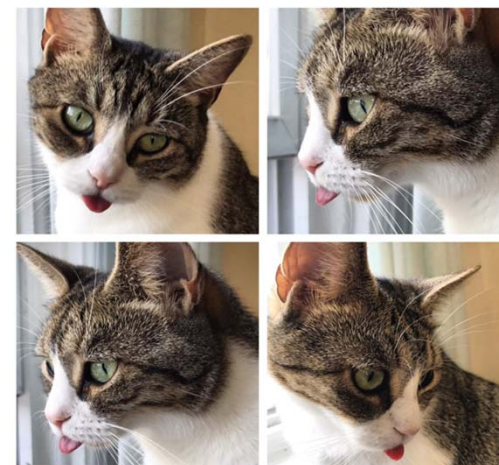


3D object: Cat

Additional Information  $s$

Is it bleping: *yes*  
Viewing distance: *close-up*  
...  
State: *cute*

Surface Form  $x = g(z, s)$



2D image: Cat



# Solution: Adversarial Examiner (AE)

In standard classification tasks:

Standard evaluation metric

vs.

AE's evaluation metric

$$E = \mathbb{E}_{x \sim \mathcal{P}}[L(f(x), y(x))] \approx \frac{1}{N} \sum_{i=1}^N L(f(x_i), y(x_i))$$

$$E_{\text{examiner}} = \mathbb{E}_{z \sim Q}[\max_{s \in \mathcal{S}} L(f(g(z, s)), y(z))] \approx \frac{1}{N} \sum_{i=1}^N \max_{s_i \in \mathcal{S}} L(f(g(z_i, s_i)), y(z_i))$$

$L(\cdot, \cdot)$  Loss function

$f(x_i)$  Predicted Label

$y(x_i)$  Groundtruth Label

$\mathcal{P}$  Underlying Distribution for  $x$

$\mathcal{Q}$  Underlying Distribution for  $z$

$\mathcal{S}$  Information to transform  $z$  to  $x$

$g(z_i, s_i)$  transform function



## Relationship: AA and AE

In standard classification tasks:

Adversarial Attack (AA)

$$E_{\text{attack}} \approx \frac{1}{N} \sum_{i=1}^N \max_{\delta_i \in \Delta} L(f(x_i + \delta_i), y(x_i))$$

vs.

Adversarial Examiner (AE)

$$E_{\text{examiner}} = \mathbb{E}_{z \sim Q} [\max_{s \in S} L(f(g(z, s)), y(z))] \approx \frac{1}{N} \sum_{i=1}^N \max_{s_i \in S} L(f(g(z_i, s_i)), y(z_i))$$

$L(\cdot, \cdot)$  Loss function

$f(x_i)$  Predicted Label

$y(x_i)$  Groundtruth Label

$P$  Underlying Distribution for  $x$

$Q$  Underlying Distribution for  $z$

$S$  Information to transform  $z$  to  $x$

$g(z_i, s_i)$  transform function

1. AE deals with underlying form  $z$  while AA deals with surface form  $x$ .
2. There is a “canonical” starting point for AA but AE starts with the entire space  $S$ .

## Solution: Adversarial Examiner (AE)

### Algorithm 1: Adversarial Examiner Procedure

**Input:**  $N$  samples  $z_i \sim \mathcal{Q}$  and their true labels  $y(z_i)$ ; Maximum number of examination steps  $T$ ; Loss function  $L$ ; Model  $f$ ; Function  $g$ ; Space  $\mathcal{S}$ .

**for**  $i = 1$  **to**  $N$  **do**

    Initialize examiner with  $\mathcal{S}$

**for**  $t = 1$  **to**  $T$  **do**

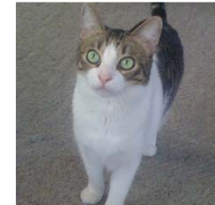
$s_i^t = \text{examiner.generate}()$

$l_i^t = L(f(g(z_i, s_i^t)), y(z_i))$

$\text{examiner.update}(s_i^t, l_i^t)$

**return**  $E_{\text{examiner}} = \frac{1}{N} \sum_{i=1}^N l_i^T$

Underlying Form  $z$



Additional Information  $s$

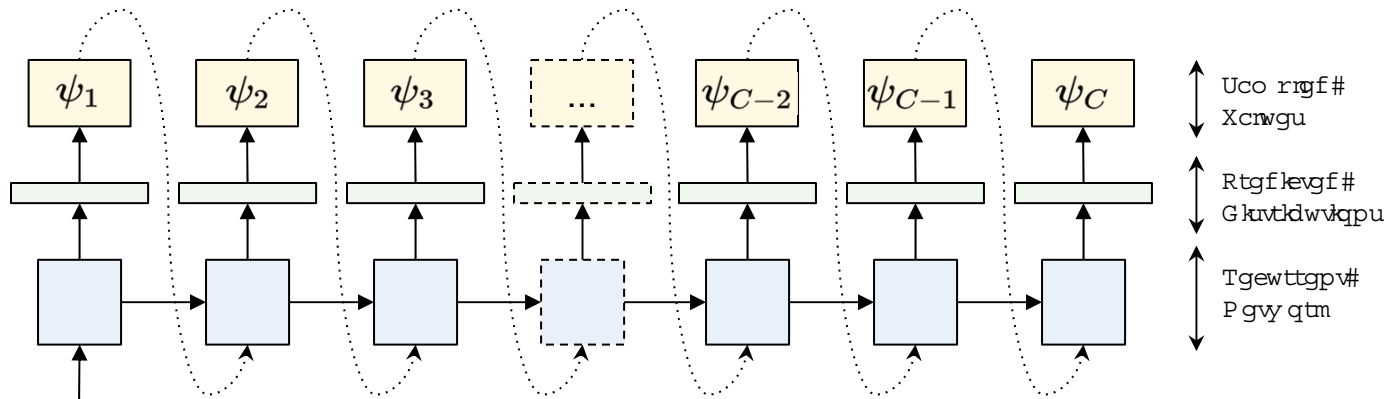
Is it bleping: yes  
Viewing distance: *close-up*  
...  
State: *cute*

Surface Form  $x = g(z, s)$



## Deep Learning Based AE (LSTM + Reinforcement Learning):

Let space  $\mathcal{S}$  be the Cartesian product of  $C$  factors  $\mathcal{S} = \Psi^1 \times \Psi^2 \times \dots \times \Psi^C$



$$\nabla_{\theta} \mathbb{E}_{P(s_i^t; \theta)}[R] \approx \frac{1}{B} \sum_{b=1}^B \sum_{c=1}^C \nabla_{\theta} \log P(\psi_{(i,t)}^c | \psi_{(i,t)}^{c-1:1}) R_b$$

## Deep Learning Based AE (LSTM + Reinforcement Learning):

### Algorithm 1: Adversarial Examiner Procedure

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**for**  $i = 1$  **to**  $N$  **do**

    Initialize examiner with  $\mathcal{S}$

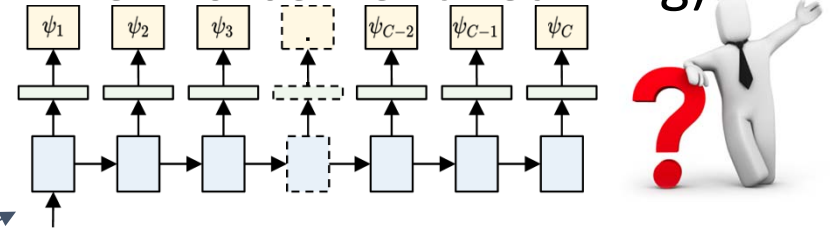
**for**  $t = 1$  **to**  $T$  **do**

$s_i^t = \text{examiner.generate}()$

$l_i^t = L(f(g(z_i, s_i^t)), y(z_i))$

$\text{examiner.update}(s_i^t, l_i^t)$

**return**  $E_{\text{examiner}} = \frac{1}{N} \sum_{i=1}^N l_i^T$

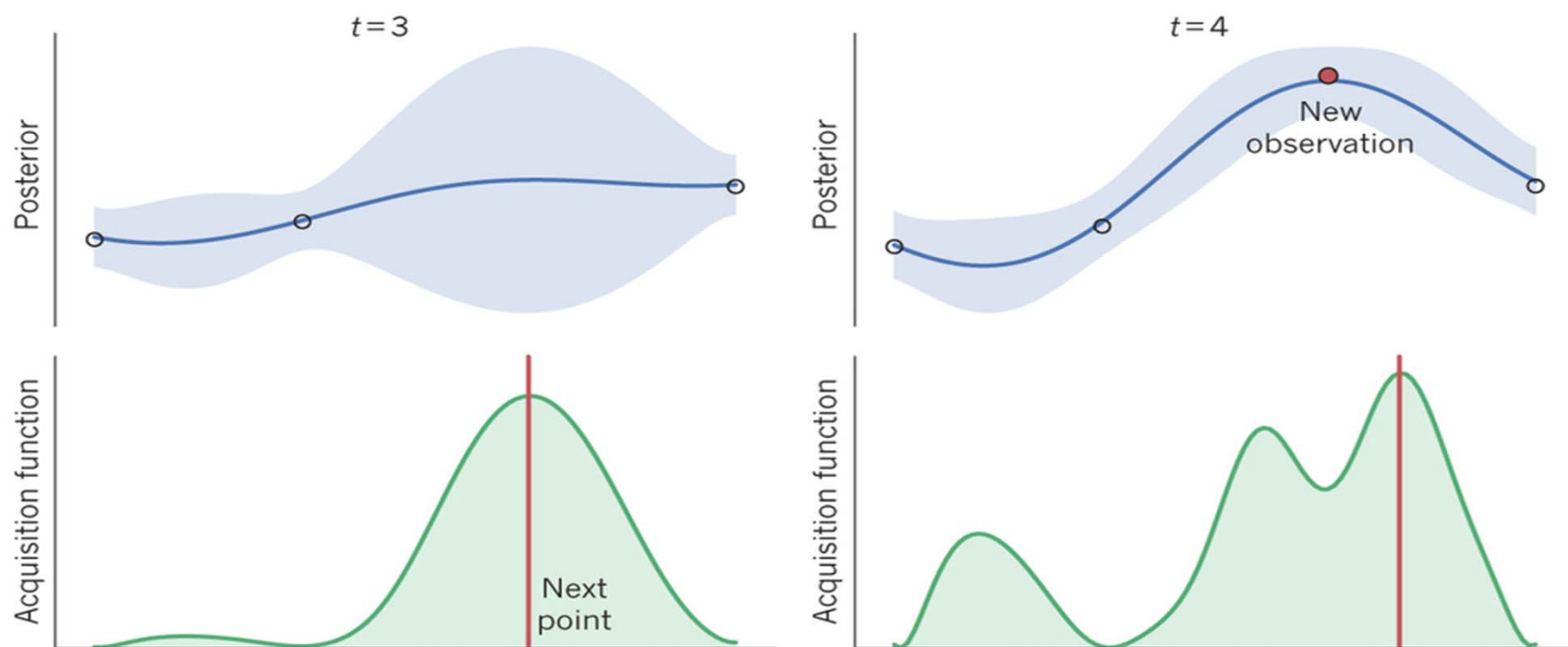


$R$  Reward signal

$$\nabla_{\theta} \mathbb{E}_{P(s_i^t; \theta)} [R] \approx \frac{1}{B} \sum_{b=1}^B \sum_{c=1}^C \nabla_{\theta} \log P(\psi_{(i,t)}^c | \psi_{(i,t)}^{c-1:1}) R_b$$

## Bayesian Optimization Based AE:

$$s_i^t = \operatorname{argmax}_{s \in \mathcal{S}} a(s)$$



## Bayesian Optimization Based AE:

### Algorithm 1: Adversarial Examiner Procedure

**Input:**  $N$  samples  $z_i \sim \mathcal{Q}$  and their true labels  $y(z_i)$ ; Maximum number of examination steps  $T$ ; Loss function  $L$ ; Model  $f$ ; Function  $g$ ; Space  $\mathcal{S}$ .

**for**  $i = 1$  **to**  $N$  **do**

    Initialize examiner with  $\mathcal{S}$

**for**  $t = 1$  **to**  $T$  **do**

$s_i^t = \text{examiner.generate}()$

$l_i^t = L(f(g(z_i, s_i^t)), y(z_i))$

$\text{examiner.update}(s_i^t, l_i^t)$

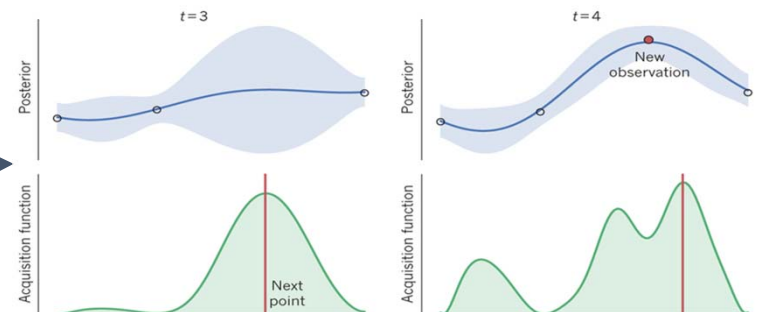
**return**  $E_{\text{examiner}} = \frac{1}{N} \sum_{i=1}^N l_i^T$

$$s_i^t = \underset{s \in \mathcal{S}}{\operatorname{argmax}} a(s)$$



Newly Observed Point

$$(s_i^t, L(f(g(z_i, s_i^t)), y(z_i)))$$

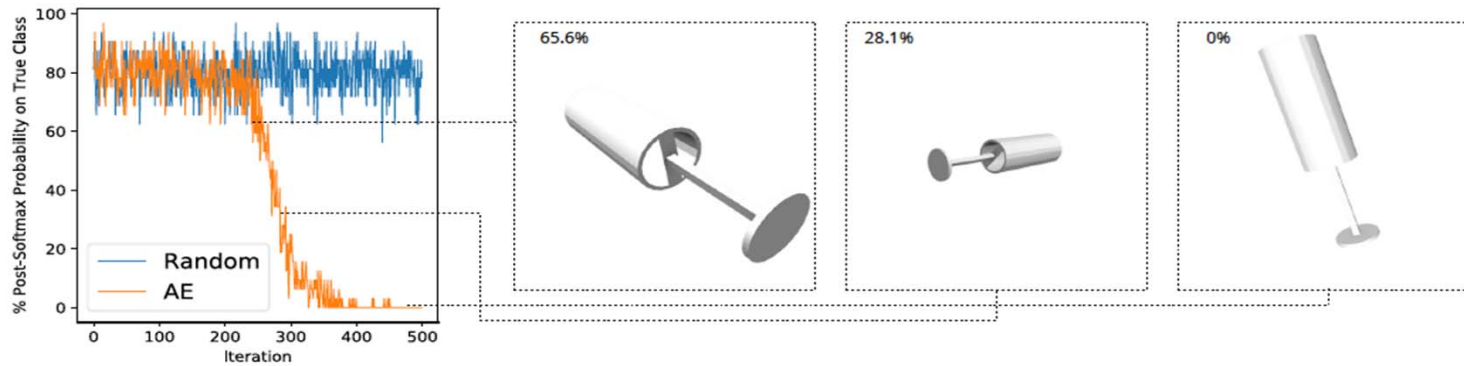


## Experiments on ShapeNet:

- Model Type: ResNet34 vs. AlexNet
- Training Set: Varied training set size
- Multiple Weakness: Artificial Weakness
- Reversed Examination: Identify Model Strength



## Experiments on ShapeNet:

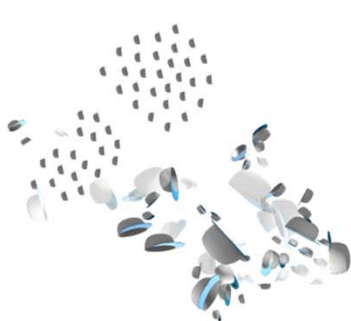


	$\alpha_o$	$\beta_o$	$\zeta_o$	$\Gamma_o$	$\Gamma_l$	$r_l$	$A_l$	$U_l$	$r_v$	$A_v$	$U_v$	$\theta_v$
UB	$2\pi$	$2\pi$	$2\pi$	5	1	20	360	90	5	180	90	360
LB	0	0	0	0	0.3	8	0	-90	1	0	-90	0

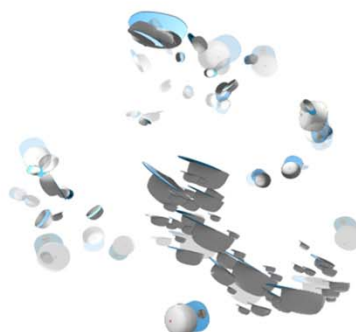
Table 1: Upper bound (UB) and lower bound (LB) of factors for  $s$ : sun rotation angles ( $\alpha_o, \beta_o, \zeta_o$ ), sun energy ( $\Gamma_o$ ), point light energy ( $\Gamma_l$ ), point light distance ( $r_l$ ), point light location ( $A_l, U_l$ ), viewpoint distance ( $r_v$ ), viewpoint location ( $A_v, U_v$ ), viewpoint angle ( $\theta_v$ )



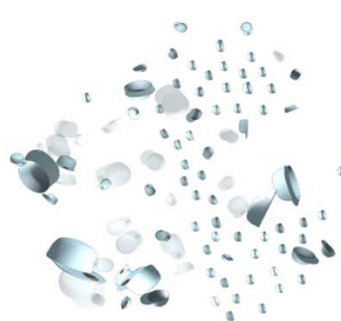
## Experiments on ShapeNet: ResNet34 vs. Alexnet



(a) RL on AlexNet



(b) BO on AlexNet



(c) RL on ResNet34



(d) BO on ResNet34

Model	Examiner	$T = 0$	$T = 100$	$T = 300$	$T = 500$
AlexNet	RL	63.98%	65.91%	18.92%	2.27%
	BO	60.05%	43.58%	29.98%	25.43%
ResNet34	RL	69.03%	68.58%	38.86%	13.13%
	BO	64.19%	54.89%	48.07%	45.55%

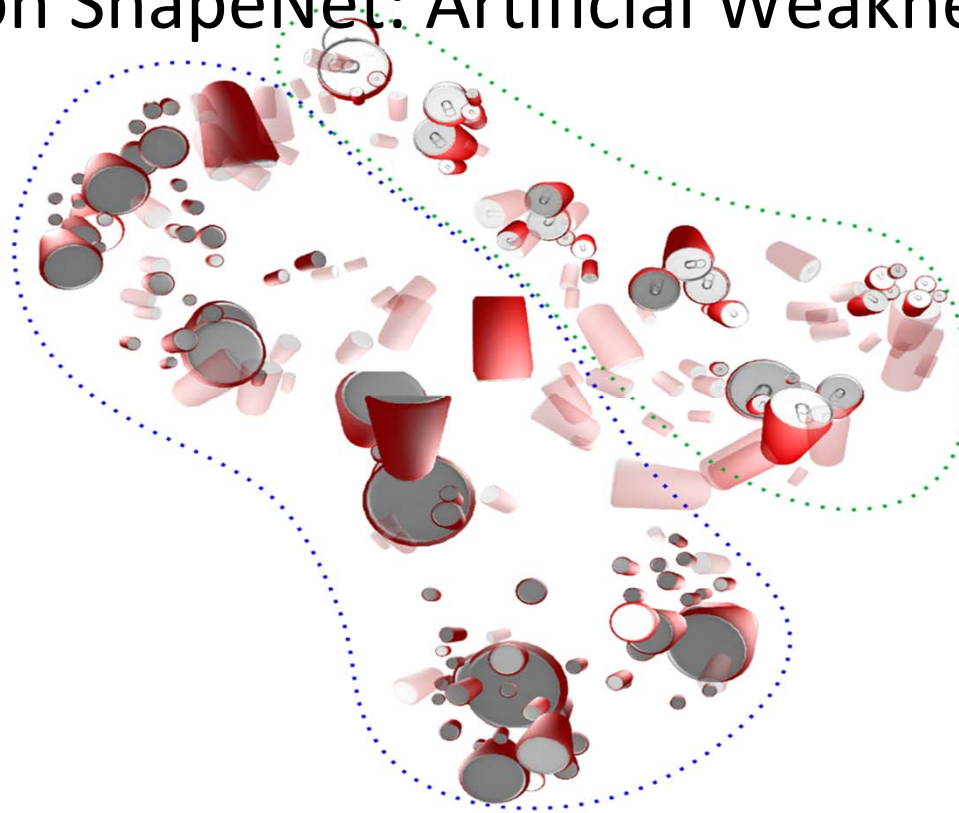
## Experiments on ShapeNet: Varied Training Size

	$m = 10$	$m = 5$	$m = 2$	$m = 1$
RL	63.81%	57.43%	35.05%	18.92%
BO	49.79%	43.06%	22.19%	10.92%

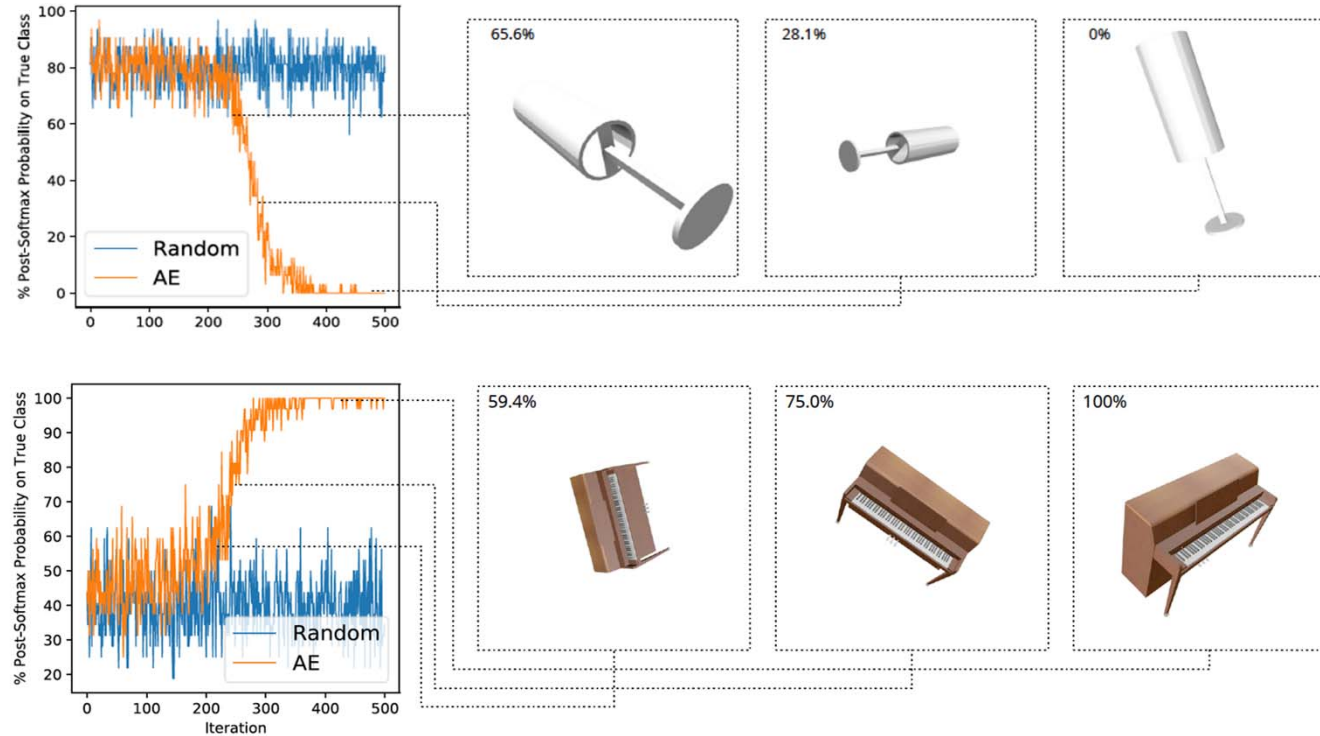
	$\alpha_o$	$\beta_o$	$\zeta_o$	$\Gamma_o$	$\Gamma_l$	$r_l$	$A_l$	$U_l$	$r_v$	$A_v$	$U_v$	$\theta_v$
UB	$2\pi$	$2\pi$	$2\pi$	5	1	20	360	90	5	180	90	360
LB	0	0	0	0	0.3	8	0	-90	1	0	-90	0

Table 1: Upper bound (UB) and lower bound (LB) of factors for  $s$ : sun rotation angles ( $\alpha_o, \beta_o, \zeta_o$ ), sun energy ( $\Gamma_o$ ), point light energy ( $\Gamma_l$ ), point light distance ( $r_l$ ), point light location ( $A_l, U_l$ ), viewpoint distance ( $r_v$ ), viewpoint location ( $A_v, U_v$ ), viewpoint angle ( $\theta_v$ ).

# Experiments on ShapeNet: Artificial Weakness



# Experiments on ShapeNet: Identifying Model Strength



## Take-Home Message:

Motivated by the mismatch, we try to mimic some aspects of turing test:

- Worst case instead of average case
- Dynamic test set based on test history instead of fixed test set



## Some Problems:

- Implicit form  $z$  and transform function  $g(z, s)$  is hard to obtain in some tasks
- CV People cannot abandon fixed datasets (yet)

## Ongoing Experiment:

- Apply AE to 6D Pose Estimation Task:



Thank You!